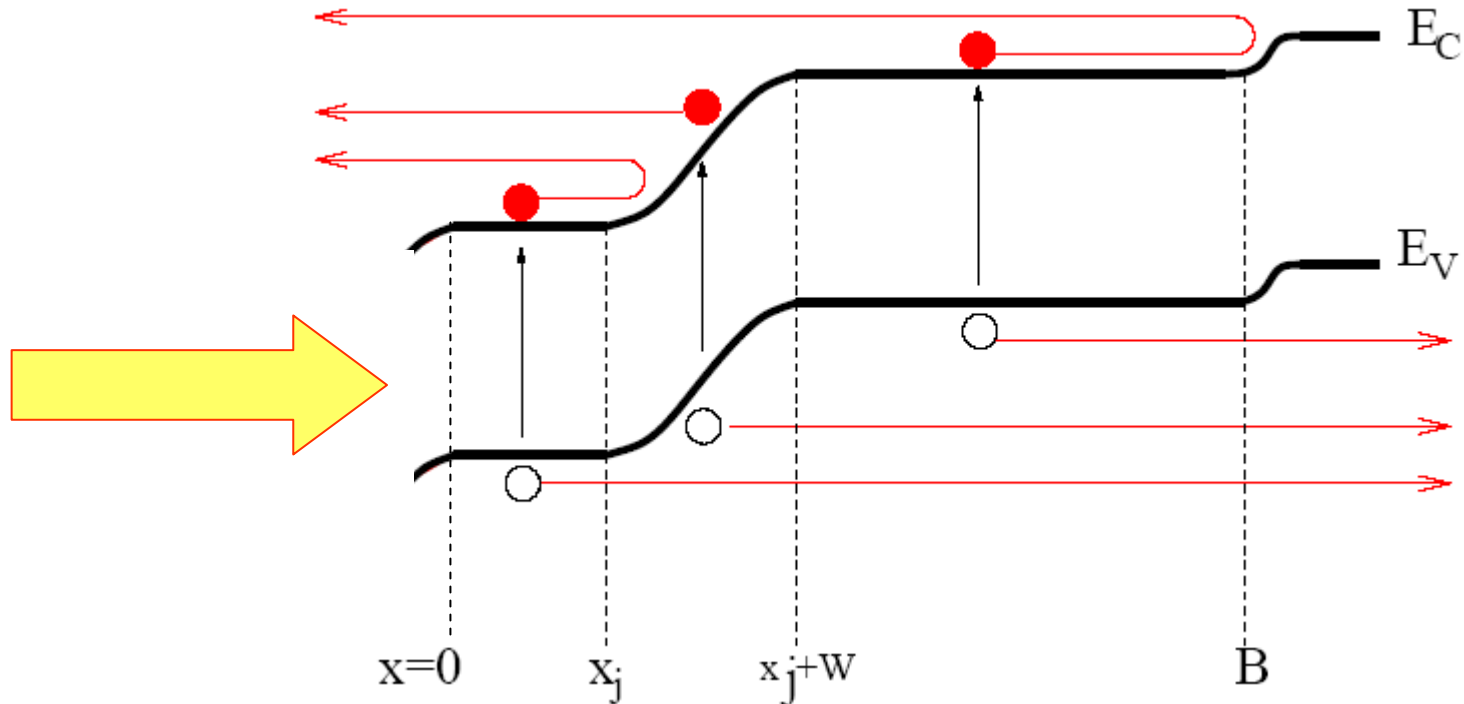


# Photo-IV

## LECTURE 10

- photocurrent components
- surface recombination velocity
- world-record Si cell
- photovoltage
- fill-factor
- maximum power point

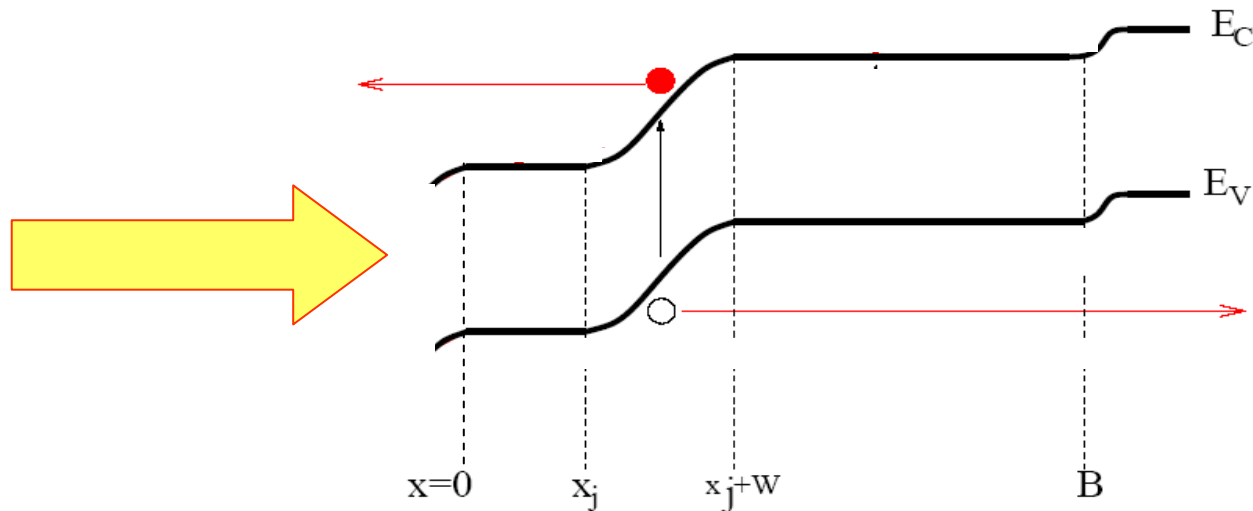
# Photocurrent



- Divide cell into 3 regions: emitter, space-charge, base.
- Note new  $x$ -axis origin.
- Note the surface fields at  $x=0$  and  $x=B$
- What is the purpose of these surface regions, and how are they made?

## Sec. 7.4.4

## SCR photocurrent



From our toolbox:

$$\begin{aligned}
 \cancel{-\nabla^2 \psi} &= \cancel{\frac{q}{\epsilon} [p - n + N_D - N_A]} \\
 \cancel{J_e} &= \cancel{qn\mu_e \nabla \psi + qD_e \nabla n} \\
 \cancel{J_h} &= \cancel{qp\mu_h \nabla \psi - qD_h \nabla p} \\
 \cancel{\frac{\partial n}{\partial t}} &= \cancel{\frac{1}{q} \nabla \cdot J_e - \frac{n - n_0}{\tau_e} + G_{op}} \\
 \cancel{\frac{\partial p}{\partial t}} &= \cancel{\frac{1}{q} \nabla \cdot J_h - \frac{p - p_0}{\tau_h} + G_{op}}
 \end{aligned}$$

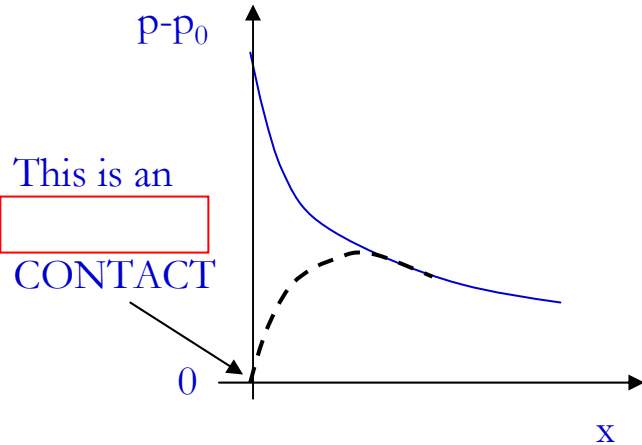
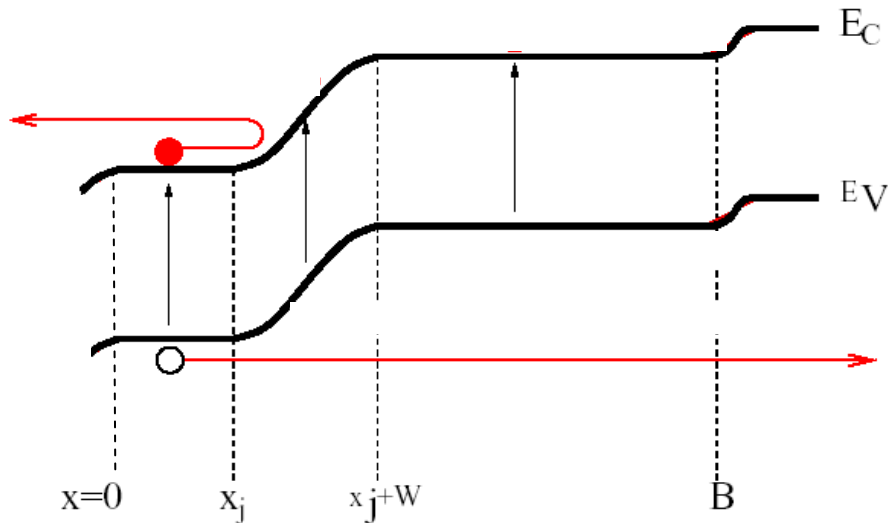
What are the BC's for  $J_e$  ?

The result is:

$$J_e^D(\lambda, x_j) = q \boxed{\phantom{0}} [1 - e^{-\alpha W}]$$

## Sec. 7.4.1

## Surface recombination velocity



What do the blue and dashed lines represent?

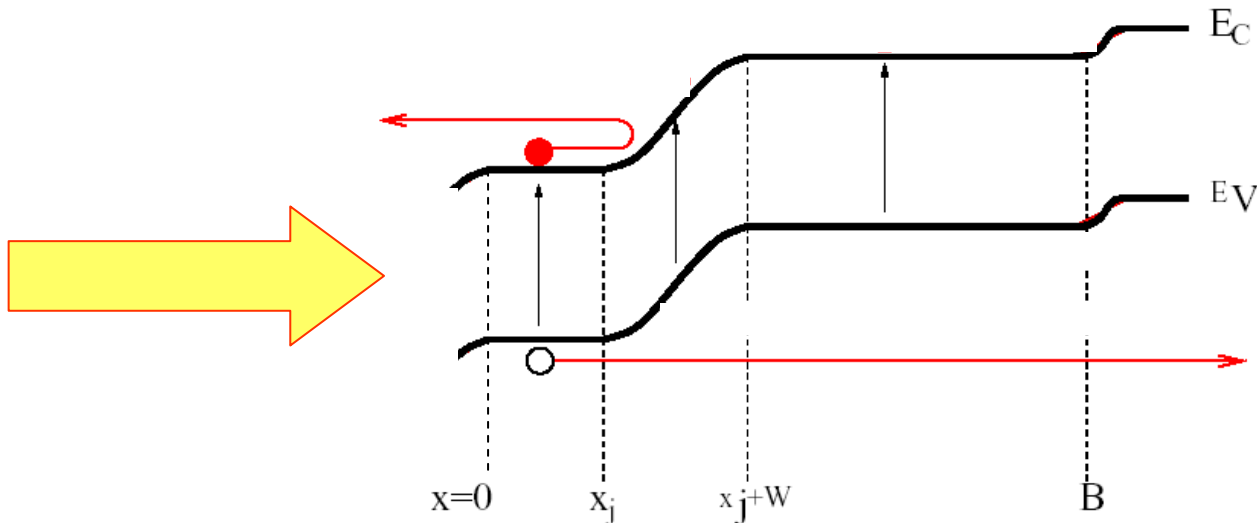
"Rate of recombination of holes at the surface is the same as if a flux of holes  $(p(0)-p_0)$  were drifting towards the surface with   $S$ ".

$\therefore$  Our BC at  $x=0$  is

$$D_h \left. \frac{dp}{dx} \right|_{x=0} = \text{[ ]}$$

## Sec. 7.4.2

## Emitter photocurrent



From our toolbox:

~~$$-\nabla^2 \psi = \frac{q}{\epsilon} [p - n + N_D - N_A]$$~~

~~$$J_e = -qn\mu_e \nabla \psi + qD_e \nabla n$$~~

~~$$J_h = -qp\mu_h \nabla \psi - qD_h \nabla p$$~~

~~$$\frac{\partial n}{\partial t} = \frac{1}{q} \nabla \cdot J_e - \frac{n - n_0}{\tau_e} + G_{op}$$~~

~~$$\frac{\partial p}{\partial t} = -\frac{1}{q} \nabla \cdot J_h - \frac{p - p_0}{\tau_h} + G_{op}$$~~

What is the BC for  $p(x_j)$  ?

What is the BC for  $p(0)$  ?

## Sec. 7.4.2

## Emitter photocurrent

1. Solve the usual 2<sup>nd</sup> – order ODE in the usual way with the correct boundary conditions.
2. Get  $p(x)$ .
3. Get current from  $dp/dx$  at  $x=x_j$

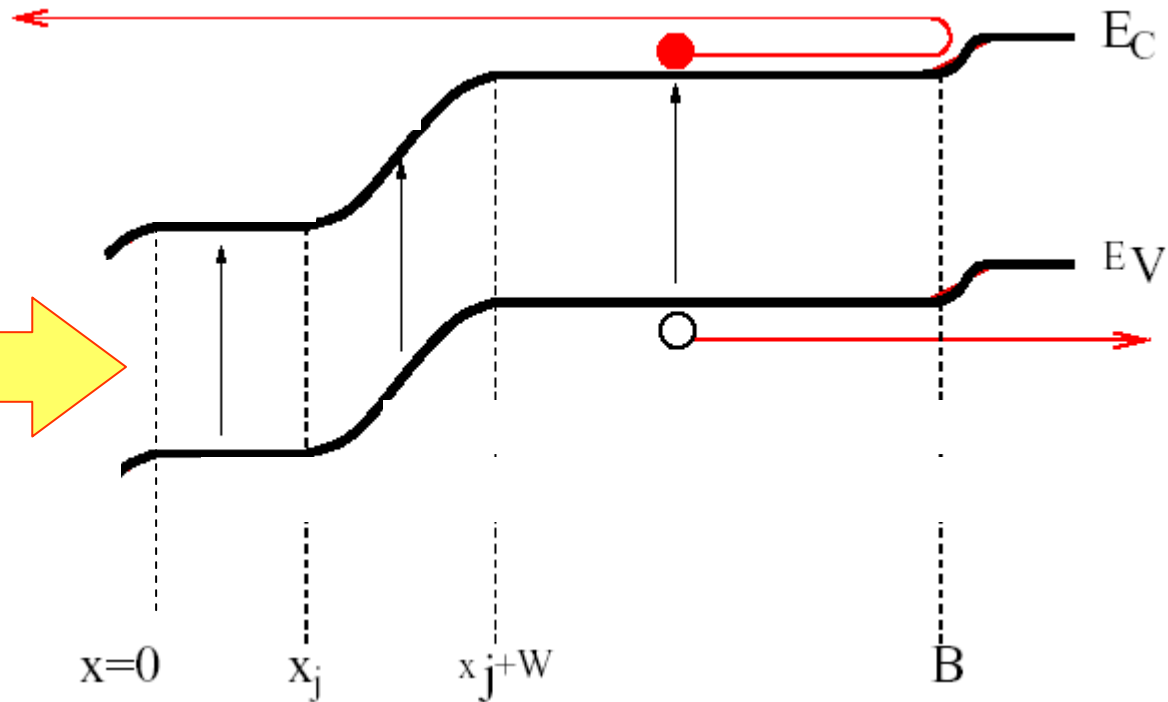
$$J_h^E(\lambda, x_j) = \frac{q\Phi_0\alpha L_h}{\alpha^2 L_h^2 - 1} \left[ -\alpha L_h e^{-\alpha x_j} + \frac{H_h + \alpha L_h - e^{-\alpha x_j} (H_h \cosh Q_h + \sinh Q_h)}{H_h \sinh Q_h + \cosh Q_h} \right]$$

$$Q_h = x_j/L_h, \quad H_h = S_F L_h/D_h$$

What would be a good value for  $S_F$  ?

## Sec. 7.4.3

## Base photocurrent



What is the BC at  $x=B$ ?

$$= S_B [n(B) - n_0]$$

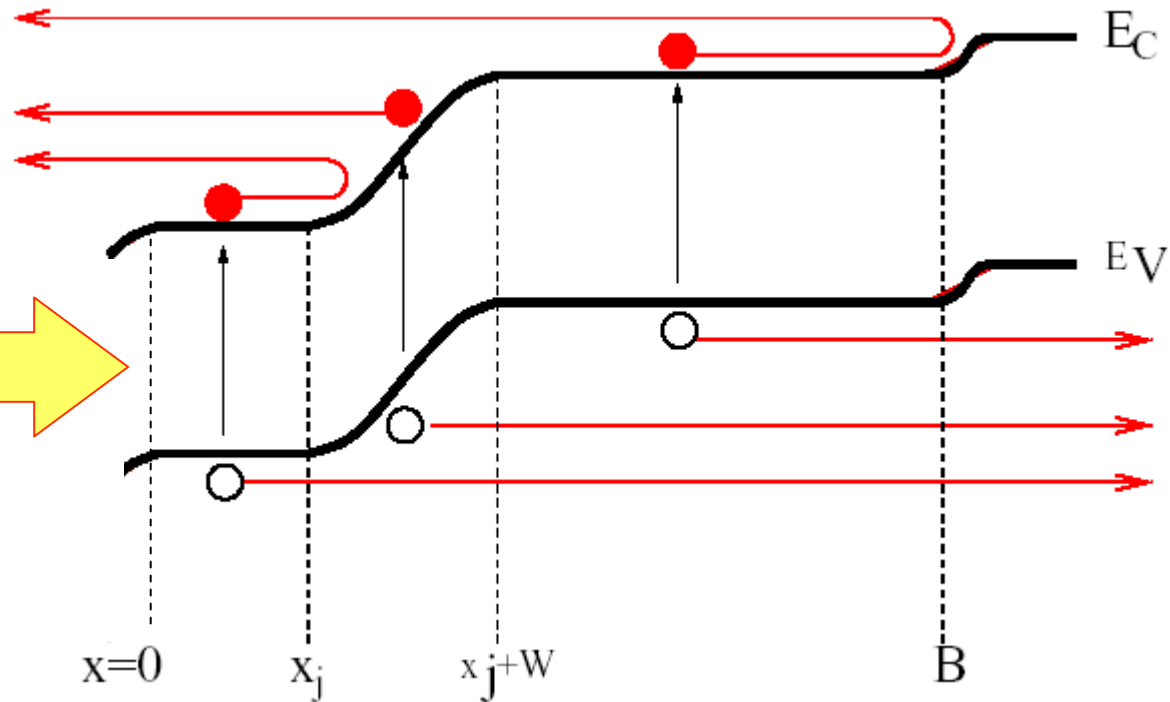
The end result is:

$$J_e^B(\lambda, x_j + W) = \frac{q\Phi_0\alpha L_e e^{-\alpha(x_j+W)}}{\alpha^2 L_e^2 - 1} \left[ \alpha L_e - \frac{H_e(\cosh Q_e - e^{-\alpha B'}) + \sinh Q_e + \alpha L_e e^{-\alpha B'}}{H_e \sinh Q_e + \cosh Q_e} \right]$$

where  $B' = B - (x_j + W)$ ,  $Q_e = B'/L_e$ ,  $H_e = S_B L_e / D_e$

## Sec. 7.4.5

## The total photocurrent



Is it OK to add-up our 3 regional photocurrents?

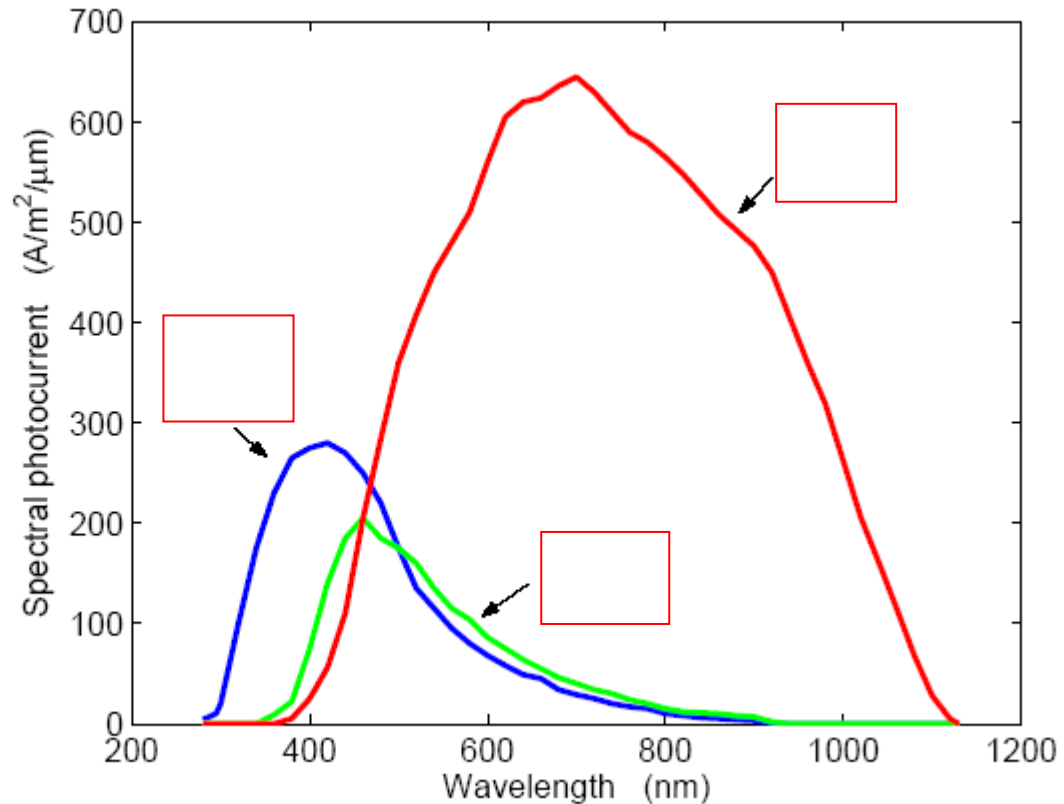
$$J_{photo}(\lambda) = J_h^E(\chi, x_j) + J_e^D(\chi, x_j) + J_e^B(\chi, x_j + W)$$



## Sec. 7.4.5

## A numerical example

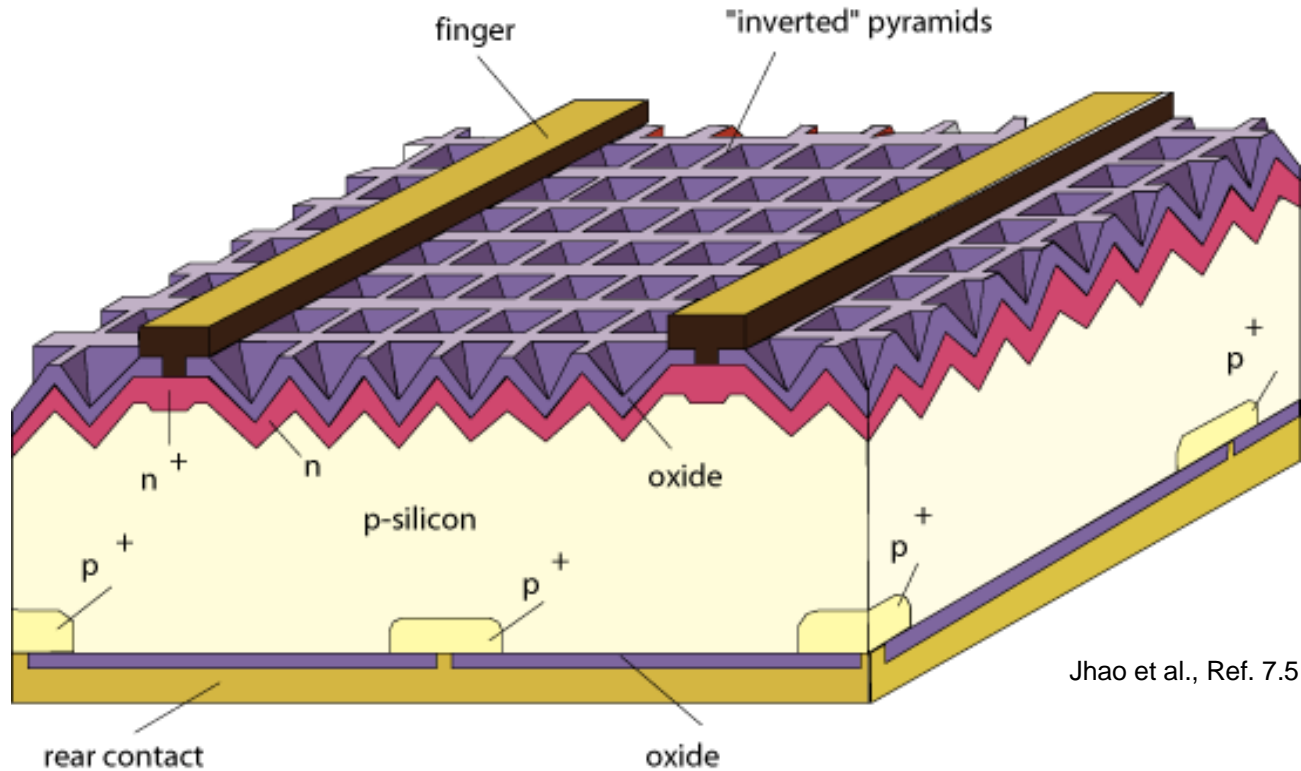
Identify each curve with a region of the solar cell.



Note: the labels here are true spectral photocurrent densities

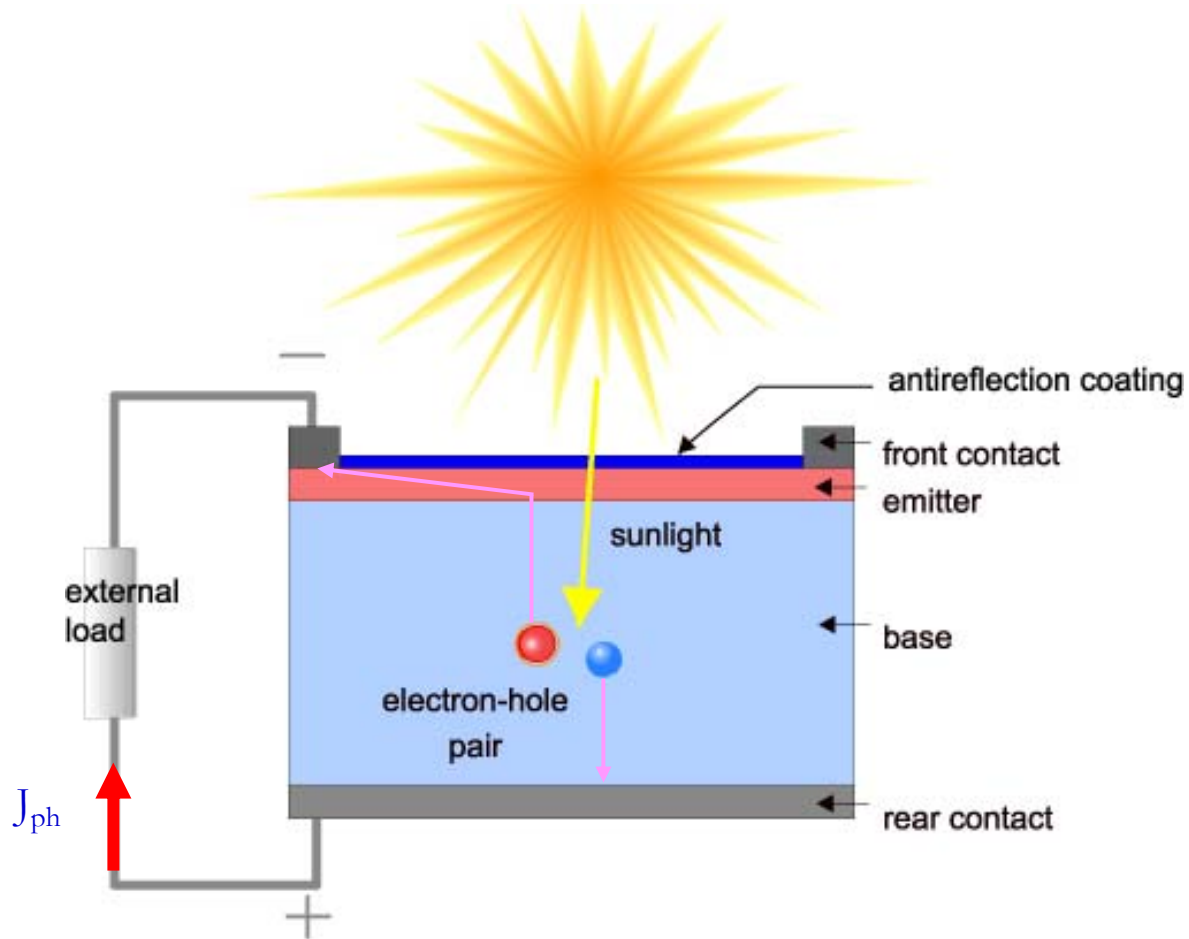
## Sec. 7.4.5

## The world record holder



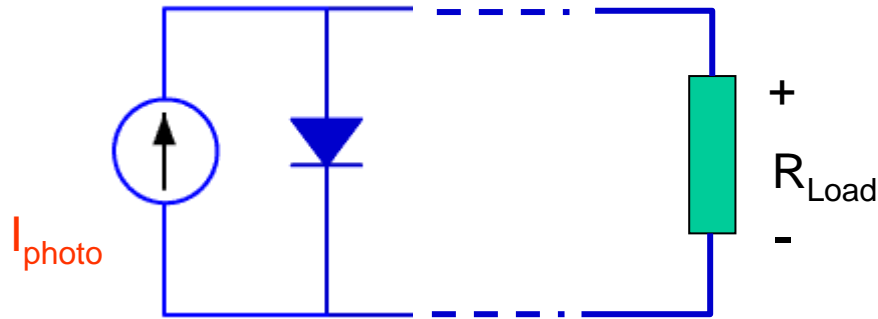
- Why is the front surface textured?
- Why is there a thin oxide over most of the front and the back?

# Generating a voltage

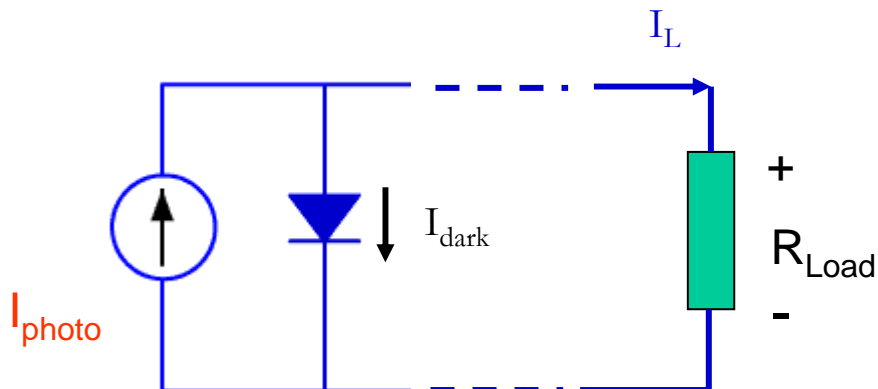


How does the voltage that is generated across the resistor bias the diode ?

# Photovoltage



- Connect load
- Voltage across the load forward biases the diode
- Dark current opposes  $I_{\text{photo}}$



$$I_L < I_{\text{photo}}$$

# Superposition

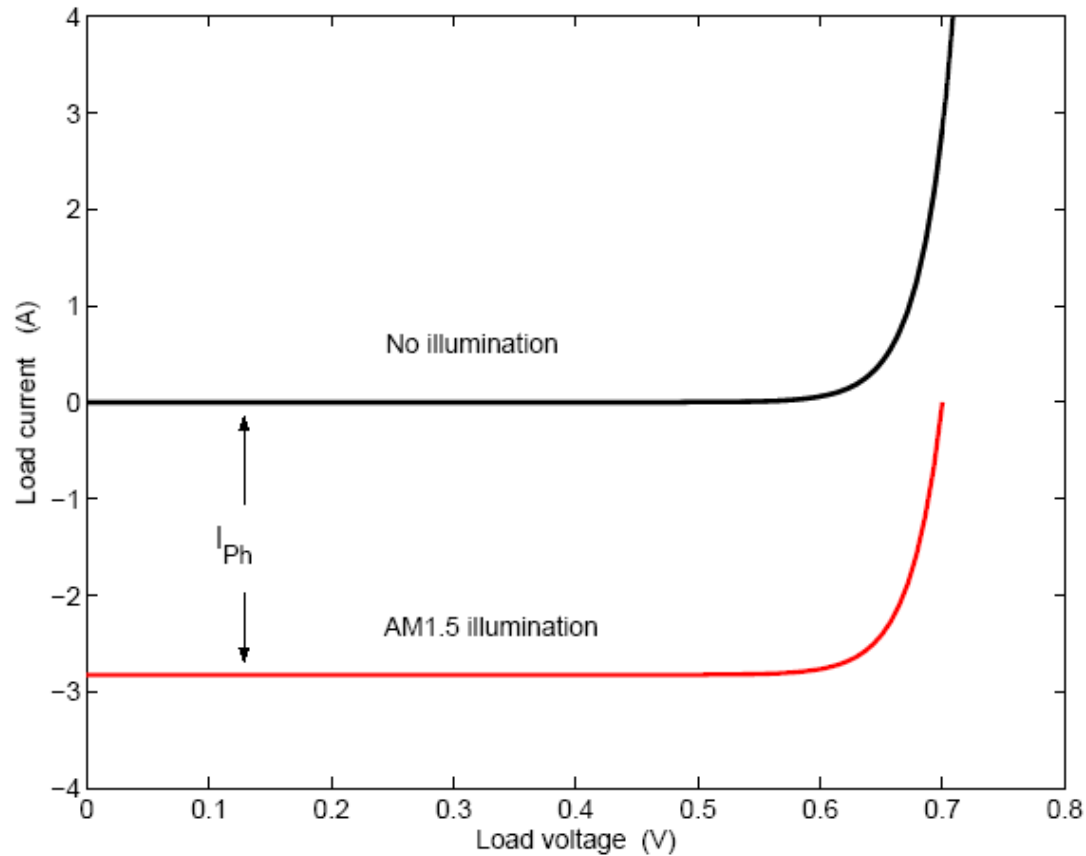


Figure 7.9: Solar cell  $I$ - $V$  characteristic, illustrating the superposition of the photocurrent and the usual, exponential diode current. The polarity of the load current has been chosen to emphasize that the solar cell generates power ( $IV < 0$ ). The load absorbs power, of course, ( $IV > 0$ ).

Identify  $V_{oc}$ , and derive an expression for it.

## Sec. 7.5.1

## PV Power

$$P_{mp} = J_{mp} V_{mp}$$

$$\equiv FF J_{sc} V_{oc}$$

## Illustration of Fill Factor

